



केवल मूल्यांकनकर्ता के उपयोग हेतु!

माध्यमिक शिक्षा मण्डल, मध्यप्रदेश, भोपाल

32 पृष्ठीय

केवल परीक्षक द्वारा भरा जावे। प्रश्न क्रमांक के सम्मुख प्राप्तांकों की प्रविष्टि करें।

प्रश्न क्रमांक	पृष्ठ क्रमांक	अंक (अंकों में)	प्रश्न क्रमांक	पृष्ठ क्रमांक	अंक (अंकों में)
1			17		
2			18		
3			19		
4			20		
5			21		
6			22		
7			23		
8			24		
9			25		
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11			27		
12			28		
13					
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16					

कल प्राप्तांक शब्दों में कल प्राप्तांक

परिष्कार एवं उपमुख्य परीक्षक द्वारा भरा जावे

परीक्षक एवं उपमुख्य परीक्षक द्वारा भरा जावे

प्रमाणित किया जाता है कि अन्दर के पृष्ठों के अनुरूप मुख्य पृष्ठ पर अंकों की प्रविष्टि एवं अंकों का योग सही है।

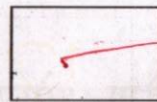
निर्धारित मुद्रा: नाम, पदनाम, मोबाईल नम्बर, परीक्षक क्रमांक एवं पदांकित संस्था के नाम की मुद्रा लगाएं।

उप मुख्य परीक्षक के हस्ताक्षर एवं निर्धारित मुद्रा

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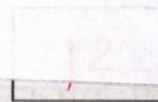
परीक्षक के हस्ताक्षर एवं निर्धारित मुद्रा
KASHIRAM RAJAK
Govt. Excellence Chichli
V.No. 001248

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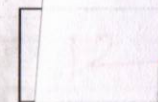
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Question no. 1

True / False

Ans (i) - False

Ans (ii) - True

Ans (iii) - False

Ans (iv) - False

Ans (v) - True

Ans (vi) - True

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Question no. 2

Match the column

(i) $\rightarrow 9 \sec^2 A - 9 \tan^2 A \Rightarrow 9$

(ii) $\rightarrow \cos 0^\circ \Rightarrow 1$

(iii) $\rightarrow \sin 0^\circ \Rightarrow 0$

(iv) $\rightarrow$ Area of sector of angle $\theta \Rightarrow \frac{\theta}{360} \times \pi r^2$

(v) $\rightarrow$ Curved surface area of hemisphere $\Rightarrow 2\pi r^2$

(vi) $\rightarrow$ Total surface area of hemisphere $\Rightarrow 3\pi r^2$

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Question no. 3

Answer in one word

Ans (i) → The standard form of a quadratic equation is as under :-
 $ax^2 + bx + c = 0$, where $a \neq 0$.

Ans (ii) → The ^{any one} condition of similarity of two triangle is :-
 Two triangles are similar if their the corresponding angles are equal.

Ans (iii) → The distance between origin $(0,0)$ & point (x_1, y_1) is
 $\sqrt{(x_1)^2 + (y_1)^2}$ units.

Ans (iv) → If shadow and height of the pole are equal then the angle of elevation of sun will be 45° .

Ans (v) → The formula of the length of an arc of a sector of angle ' θ ' and radius ' r ' is → $\frac{\theta}{360} \times 2\pi r$.



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Ans (vi) → We know that class mark = $\frac{\text{Upper limit} + \text{Lower limit}}{2}$

so, class mark of 20 - 40 will be $\frac{20 + 40}{2} = 30$ ans.

Question no. 4

Choose the correct option

Ans (i) - (a) 2 ✓

Ans (ii) - (d) infinitely many solutions ✓

Ans (iii) - (b) $b^2 - 4ac = 0$ ✓

Ans (iv) - (c) 20 ✓

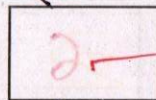
Ans (v) - (a) $\sqrt{8}$ ✓

Ans (vi) - (d) infinite ✓

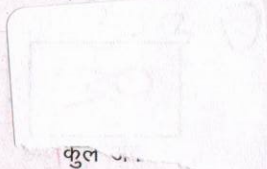
Question no. 5Fill in the blanksAns (i) - irrationalAns (ii) - cubicAns (iii) - -1Ans (iv) - similarAns (v) - secant lineAns (vi) - 1

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Question no. 6ORGiven → Points (a, b) & $(-a, -b)$ To Find → distance between given pointsCalculation → Let the given points be $P(a, b)$ & $Q(-a, -b)$

We know that,

Distance between two points = $\sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$

so,

$$PQ = \sqrt{(-a - a)^2 + (-b - b)^2}$$

$$PQ = \sqrt{(-2a)^2 + (-2b)^2}$$

$$PQ = \sqrt{4a^2 + 4b^2}$$

$$PQ =$$

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Question no. 7

OR

To Find the value of $\frac{2 \tan 30^\circ}{1 - \tan^2 30^\circ}$ - (1)

we know that,

$$\tan 30^\circ = \frac{1}{\sqrt{3}}$$

putting value of $\tan 30^\circ$ into (1)

$$\frac{2 \times \frac{1}{\sqrt{3}}}{1 - \left(\frac{1}{\sqrt{3}}\right)^2} = \frac{\frac{2}{\sqrt{3}}}{1 - \frac{1}{3}} = \frac{\frac{2}{\sqrt{3}}}{\frac{3-1}{3}} = \frac{\frac{2}{\sqrt{3}}}{\frac{2}{3}}$$

$$= \frac{2}{\sqrt{3}} \div \frac{2}{3} = \frac{2}{\sqrt{3}} \times \frac{3}{2} = \frac{3}{\sqrt{3}}$$

$$= \frac{3}{\sqrt{3}} \times \frac{\sqrt{3}}{\sqrt{3}} = \frac{3\sqrt{3}}{3} = \sqrt{3} \text{ ans}$$

So, the value of $\frac{2 \tan 30^\circ}{1 - \tan^2 30^\circ} = \sqrt{3}$

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(8)

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Question no. 8

Given, Radius of circle (r) = 14 cm
 Angle subtended by arc (θ) = 45°

We know that, area of sector = $\frac{\theta}{360^\circ} \times \pi r^2$

$$\text{area of sector} = \frac{45^\circ}{360^\circ} \times \frac{22}{7} \times 14^2 \quad [\text{putting values}]$$

$$\text{area of sector} = \frac{1}{8} \times \frac{22}{7} \times 14 \times 14 = \frac{22 \times 14}{4} = 77 \text{ cm}^2$$

So the area of sector = 77 cm² ans

Question no. 9

OR

Experiment - throwing a die once

Let the event of getting a prime number be E

now, Total no. of possible outcomes = 06 {1, 2, 3, 4, 5, 6}

No. of Outcomes favourable to E = 03 {2, 3, 5}



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We know that, probability = $\frac{\text{no. of favourable outcomes}}{\text{Total possible outcomes}}$

$$\text{so } P(E) = \frac{03}{06}$$

$$P(E) = \frac{1}{2}$$

so, the probability of getting a prime no. on throwing a die once is $\frac{1}{2}$. ans

Question no. 10

OR

Experiment - Drawing a card from well shuffled deck of 52 cards.

Let the event of getting a red face cards be E

now, Total no. of possible outcomes = No. of cards = 52

Outcomes Favourable to E = No. of red face card = 6

we know that,

Probability = $\frac{\text{No. of favourable outcomes}}{\text{Total possible outcomes}}$

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$$\text{So, } P(E) = \frac{13}{52} = \frac{1}{4}$$

So, the probability of getting a red face card from a well shuffled deck of 52 cards = $\frac{3}{26}$ ans.

Question no. 11

OR

To express 148 as a product of primes, we have to use prime factorization method.

Prime factorization of 148 $\Rightarrow$

$$\begin{array}{r|l} 2 & 148 \\ 2 & 74 \\ 37 & 37 \\ & 1 \end{array}$$

So, we get,

$$148 = 2 \times 2 \times 37$$

$$148 = 2^2 \times 37 \quad \text{ans}$$

148 as a product of primes will be $2^2 \times 37$ ans



Question no. 12

Fundamental theorem of Arithmetic states that "Every composite number can be expressed as product of primes, and this factorization is unique apart from order in which prime factors occur".

Exa. → 12 is a composite number & hence it can be written as product of ~~pr~~ primes, according to this theorem

$$12 = 2 \times 2 \times 3 = 2^2 \times 3$$

Also, this factorization will be unique.

Question no. 13

We know that ~~graph~~ number of times a graph of polynomial intersects the x-axis is equal to the number of zeroes it has. Here, the graph of $y = P(x)$ is intersecting x-axis at 3 points so it has 3 zeroes.

Means, $P(x)$ polynomial has 3 zeroes.

ans.

Question no. 14

Given, - Polynomial $4u^2 + 8u$

To Find - Zeros of $4u^2 + 8u$

Calculation - Let the given polynomial be $P(x)$

means, $P(x) = 4u^2 + 8u$

also, zero of $P(x) = 0$

so, $4u^2 + 8u = 0$

$4u(u + 2) = 0$ [Taking $4u$ common]

this gives $\rightarrow 4u = 0$ & $u + 2 = 0$

$u = 0$ & $u = -2$

so, the zeros of polynomial $4u^2 + 8u$ are 0 & -2 .

ans.

Question no. 15

Given - linear equations $\rightarrow x + 2y = 8$ - (i)

$x - y = 8$ - (ii)

To Find - solutions of given equations



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Calculation $\rightarrow$ Solving equation (i) & (ii) by elimination method of adding
subtracting

$$\begin{array}{r} x + 2y = 8 \\ *(-) \quad x - y = 8 \\ \hline 3y = 0 \end{array}$$

$$\frac{3y}{3} = \frac{0}{3} \quad [\text{dividing both sides by 3}]$$

$$y = 0$$

now putting value of y in equation - (i)

$$x + 2y = 8$$

~~$x = 2x$~~ ~~$x + 2x(0) = 8$~~

$$x + 0 = 8$$

$$x = 8$$

So on solving the given equations, solutions are $x = 8$ & $y = 0$.

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Question no. 16

Given → A.P. ⇒ 2, 7, 12 ---

To Find → 10th term of A.P.

Calculation →

Given A.P. is 2, 7, 12 --- ✓

so first term $(a) = 2$

common difference $(d) = 7 - 2 = 5$

We know that,

$$a_n = a + (n-1)d$$

so, ~~first tenth term or a_5 will be~~

~~$$a_5 = 2 + (5-1)$$~~

so, tenth term or a_{10} will be

$$a_{10} = 2 + (10-1)5 \quad \text{[putting values]}$$

$$a_{10} = 2 + 9 \times 5$$

$$a_{10} = 2 + 45$$

$$a_{10} = 47$$

so the 10th term of given A.P. 2, 7, 12 ---
will be 47 ans.

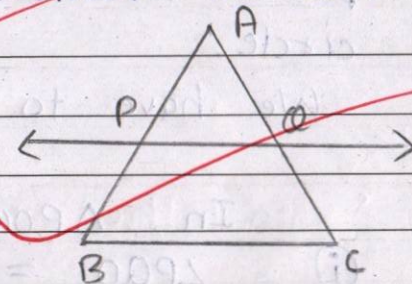
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It states that " If a line drawn parallel to any one side of a triangle to intersect the other two sides in distinct points, then the two sides will be divided in same ratio".

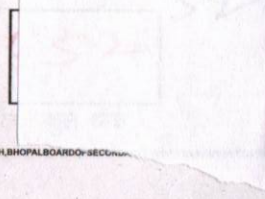
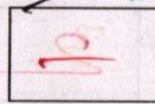
Exa. Let ABC be a triangle where,
line l is drawn parallel to BC to intersect AB at P & AC at Q .
then according to this theorem,



$$\frac{AP}{PB} = \frac{AQ}{QC}$$



2149 is constant by 6.12 congruence



Question no. 18

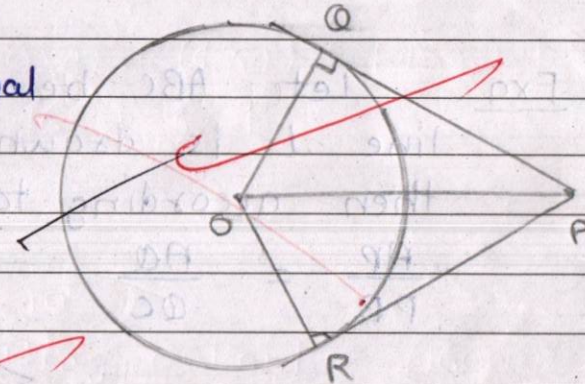
Given → Tangents drawn from an external point to circle.

To Prove → The length of tangents from an external point to circle are equal.

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Proof → Let the given circle with centre O. & P is an external point & PO & PR are tangents to circle.

We have to prove, $PO = PR$



In ΔPOQ & ΔPOR

(i) $\angle PQO = \angle PRO = 90^\circ$ [Tangent at any point of circle is perpendicular to radius through point of contact]

(ii) $OQ = OR$ [both radii]

(iii) $PO = PO$ [common side]

so, ΔPOQ & ΔPOR are congruent by RHS congruence criteria [from i, ii & iii]

$\Delta POQ \cong \Delta POR$



So, $PQ = PR$ [CPCT] but these are the tangents drawn from external point, Hence proved that tangents drawn from external point to a circle are equal in length.

Question no. 19

Given $\rightarrow$ 2 cubes each of volume 64 cm^3 are joined end to end.

To Find $\rightarrow$ Surface area of resultant cuboid

Calculation $\rightarrow$ Let the side of each cube be " x " m.

We know that, volume of cube $= a^3$
given that volume of each cube is 64 m^3

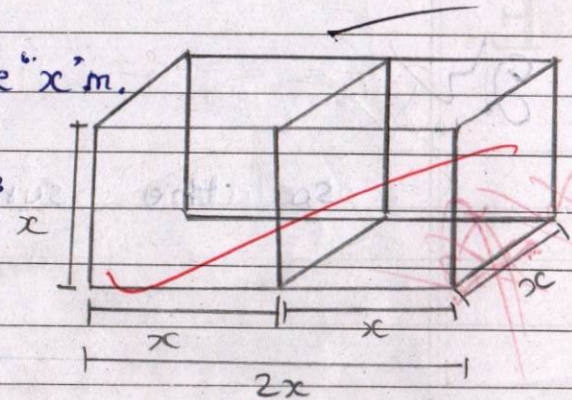
so,

$$x^3 = 64 \text{ m}^3$$

$$x = \sqrt[3]{64 \text{ m}^3}$$

$$x = 4 \text{ m}$$

so the side of cube is 4 m .



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2 cubes are joined end to end.

Now the dimensions of resulting cuboid are

$$(a) \text{ length} = x + x = 2x = 2 \times 4 = 8\text{m}$$

$$(b) \text{ breadth} = x = 4\text{m}$$

$$(h) \text{ Height} = x = 4\text{m}$$

We know that surface area of cuboid = $2(lb + bh + hl)$
now, putting the values of length, breadth & height.

$$\text{Surface area of cuboid} = 2[(8 \times 4) + (4 \times 4) + (4 \times 8)]$$

$$= 2[32 + 16 + 32]$$

$$= 2[80]$$

$$= 2 \times 80$$

$$= 160 \text{ m}^2$$

$$\text{so the surface area of resulting cuboid} = 160 \text{ m}^2$$

-ans



Question no. 20

Given → equation $\Rightarrow 2x^2 - 5x + 3 = 0$

To Find → Roots of give equation by factorization

Calculation → Finding the roots of $2x^2 - 5x + 3 = 0$ by factorization
so,

$$2x^2 - 5x + 3 = 0$$

$$2x^2$$

$$[2x^2 - 2x - 3x + 3 = 0]$$

$$(2x - 3)(x - 1) = 0$$

$$2x(x - 1) - 3(x - 1) = 0$$

it gives

$$2x - 3 = 0$$

$$\& x - 1 = 0$$

$$2x = 3$$

&

$$x = 1$$

$$x = \frac{3}{2}$$

So the roots of eq. $2x^2 - 5x + 3 = 0$ are $\frac{3}{2}$ & 1

ans

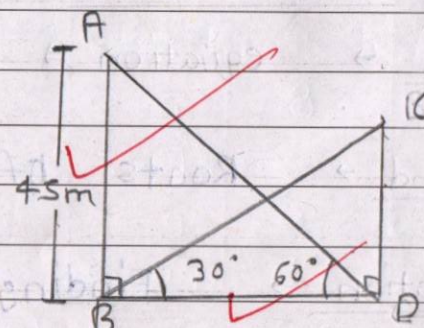


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Question no. 21: OR

Let AB is the given tower & CD is the given building.

Given → Height of tower = AB = 45 m
 angle of elevation of tower from foot of building = $\angle ADB = 60^\circ$
 angle of elevation of building from foot of tower = $\angle CBD = 30^\circ$



To Find → Height of building [CD]

Calculation → As tower & building stand vertically so, in right angled $\triangle ABD$

$$\frac{AB}{BD} = \tan 60^\circ$$

$$\frac{45}{BD} = \sqrt{3}$$

$$BD = \frac{45}{\sqrt{3}}$$

$$BD = \frac{45\sqrt{3}}{3}$$

$$[\tan 60^\circ = \sqrt{3} \text{ \& } AB = 45 \text{ m}]$$

[Multiplying $\sqrt{3}$ on Numerator & Denominator]



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$$BD = 15\sqrt{3} \text{ m}$$

Now, in right angled triangle CDB

$$\frac{CD}{BD} = \tan 30^\circ$$

$$\frac{CD}{15\sqrt{3}} = \frac{1}{\sqrt{3}}$$

$$[\tan 30^\circ = \frac{1}{\sqrt{3}} \text{ \& } BD = 15\sqrt{3} \text{ m}]$$

$$CD = \frac{15\sqrt{3}}{\sqrt{3}}$$

$$CD = 15 \text{ m}$$

so the height of building is 15 m

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Question no. 22

In the given frequency table,
Maximum frequency is 8 &
the class corresponding to frequency
8 is 3-5.
So 3-5 is modal class

Family size	No. of Families
1-3	7
3-5	8
5-7	3
7-9	2
9-11	1

now, l (lower limit of modal class) = 3 ✓
 f_1 (frequency of modal class) = 8 ✓
 f_0 (frequency of class
 preceeding the modal class) = 7 ✓
 f_2 (frequency of class
 succeeding the modal class) = 3 ✓
 h (class size) = 2 ✓

now, we know that,

$$\text{mode} = l + \left[\frac{f_1 - f_0}{2f_1 - f_0 - f_2} \right] \times h$$

putting values in the above formula

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$$\text{mode} = 3 + \left[\frac{8-1}{(2 \times 8) - 1 - 3} \right] \times 2$$

$$\text{mode} = 3 + \left[\frac{1}{16-10} \right] \times 2$$

$$\text{mode} = 3 + \frac{1}{8} \times 2$$

$$\text{mode} = 3 + \frac{1}{3}$$

$$\text{mode} = \frac{9+1}{3}$$

$$\text{mode} = \frac{10}{3} = 3.33$$

so the mode of given data is 3.33 (approx.)

means the modal value of family size of 21 household

is 3.33 - ans (approx.)

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Question no. 23

OR

Given → Linear equations :-

$$x + y = 5 \quad \text{--- (i)}$$

$$2x - 3y = 4 \quad \text{--- (ii)}$$

To Find → Solutions

Calculation → Multiplying the eq (i) by 2 in order to make the coefficient of both equations same.

$$2(x + y = 5)$$

$$2x + 2y = 10 \quad \text{--- (iii)}$$

now solving eq (ii) & (iii) by elimination method (substitution)

$$2x - 3y = 4$$

$$2x + 2y = 10$$

$$(-) \quad \underline{\quad \quad \quad}$$

$$-5y = -6$$

$$\frac{-5y}{-5} = \frac{-6}{-5}$$

$$y = \frac{6}{5}$$

[Multiplying both sides by -5]

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now putting the value of y in eq (ii)

$$2x - 3y = 4$$

~~$$2x - 3 \times \frac{6}{5} = 4$$~~

$$2x - \frac{18}{5} = 4$$

$$2x = \cancel{4} + \frac{18}{5} \quad [\text{Transposing } -\frac{18}{5} \text{ to RHS}]$$

$$2x = \frac{20 + 18}{5}$$

$$2x = \frac{38}{5}$$

$$\frac{2x}{2} = \frac{38}{2} \div 2 \quad [\text{Dividing both sides by 2}]$$

$$x = \frac{38}{5} \times \frac{1}{2}$$

$$x = \frac{19}{5}$$

So the an solving the equations $x+y=5$ & $2x-3y=7$
we got $x = \frac{19}{5}$ & $y = \frac{6}{5}$ ans

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Question no. 6Given $\rightarrow$ Points A(6, 5) & B(-4, 3).To Find $\rightarrow$ A point equidistant from A & B.Calculation $\rightarrow$ Let a point C(x, y) is equidistant from A(6, 5) & B(-4, 3)

then,

$$AC = BC$$

By applying distance formula = $\sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$
we got

$$\sqrt{(x - 6)^2 + (y - 5)^2} = \sqrt{[x - (-4)]^2 + (y - 3)^2}$$

$$\sqrt{x^2 + 36 - 12x + y^2 + 25 - 10y} = \sqrt{x^2 + 16 + 8x + y^2 + 9 - 6y}$$

$$[a+b]^2 = a^2 + b^2 + 2ab$$

$$[a-b]^2 = a^2 + b^2 - 2ab$$

$$(\sqrt{x^2 + y^2 - 12x - 10y + 25 + 36})^2 = (\sqrt{x^2 + y^2 + 8x - 6y + 16 + 9})^2$$

[Squaring both sides]

$$x^2 + y^2 - 12x - 10y + 61 = x^2 + y^2 + 8x - 6y + 25$$

$$x^2 - x^2 + y^2 - y^2 - 12x - 8x - 10y + 6y = 25 - 61 \quad [\text{Transposing}]$$

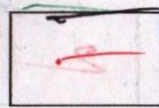
$$-20x - 4y = -36$$

$$-4(5)$$

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Question no. 6

Given → points $A(6, 5)$ & $B(-4, 3)$

To Find → A point on y -axis which is equidistant from A & B

Calculation → Let point $C(0, y)$ is a point on y -axis which is equidistant from A & B .

So $AC = BC$

by distance formula $= \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$

$$\sqrt{(6-0)^2 + (5-y)^2} = \sqrt{(-4-0)^2 + (3-y)^2}$$

$$\sqrt{36 + 25 + y^2 - 10y} = \sqrt{16 + 9 + y^2 - 6y}$$

[By using $(a-b)^2 = a^2 + b^2 - 2ab$
 $(a+b)^2 = a^2 + b^2 + 2ab$]

$$(\sqrt{36 + 25 + y^2 - 10y})^2 = (\sqrt{16 + 9 + y^2 - 6y})^2$$

[Squaring both sides]

$$36 + 25 - 16 - 9 + y^2 - y^2 = -6y + 10y$$

[Transposing]

$$36 = 4y$$

$$\frac{36}{4} = \frac{4y}{4}$$

$$y = 9$$

[Dividing both sides by 4]

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so the point on y-axis which is equidistant from $A(6, 5)$ & $B(-4, 3)$ is $(0, 9)$ ans

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